

- (1, -3) one point of intersection – tangent
- Discriminant = 0 so there is one real root (double root) so the graph is tangent to the x-axis, meaning it touches the x-axis in one place and bounces off.
- vertex (2, 0)
x-ints.(2,0) double root
y-int. (0, -4)
axis of symmetry: $x = 2$
sad parabola
- vertex (3, 2)
x-ints. None – comes out imaginary
y-int. (0, 11)
axis of symmetry: $x = 3$
happy parabola
- (1, 4) one point of intersection – tangent
- Roots (-0.317, 0) & (6.317, 0)
Vertex = minimum (3, -11)
Intersections (5.162, -6.325) & (-1.162, 6.325)
- $f(x) = 4x^2 - 5x + 2$
- $3i\sqrt{10}$
 - $26 - 7i$
 - $-i$
 - $16 - 30i$
 - $\frac{-4 + 19i}{13}$
- $(3x + 16)(x - 2) = 0$ $x = -16/3, x = 2$
 - $(x - 1)^2 = -3/2$ Divide by 2 and add 1 to both sides. $x = 1 \pm i\sqrt{\frac{3}{2}} = 1 \pm i\frac{\sqrt{6}}{2}$
 - $x = \frac{-1 \pm 3i\sqrt{3}}{14}$
 - Multiply by LCD: $x^2 - 16$ $x = -2$ Gained a root of $x = -4$ (cross it out)
- vertex (-1, -16)
axis of symmetry: $x = -1$
y-int. (0, -15)
x-ints.(-5,0) (3, 0)
Happy parabola
- discriminant = $36 > 0$ means two real different roots so the parabola crosses the x-axis twice.
- $y = -3x^2 - 12x + 15$

Matching

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| 1. g | 5. f |
| 2. c | 6. a |
| 3. b | 7. e |
| 4. h | 8. d |